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$L(1, 1, 1)$ -LABELING OF PATH, BOUQUET OF CYCLES AND SUN GRAPH

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Abstract: For a given graph $G(V, E)$, $L(1,1,1)$ -labeling problem is an assignment from vertex set V to the set of non negative integers. If Z^+ be the non negative integers then $L(1,1,1)$ -labeling is a function $f: V \rightarrow Z^+$ such that for any two vertices x and y , $|f(x) - f(y)| \geq 1$, when $d(x, y) = 1$; $|f(x) - f(y)| \geq 1$, when $d(x, y) = 2$; and $|f(x)f(y)| \geq 1$, when $d(x, y) = 3$. The $L(1,1,1)$ -chromatic number $\lambda_{1,1,1}$ is the smallest positive integer such that G has an $L(1,1,1)$ -labeling with $\lambda_{1,1,1}$ as the maximum label. In this paper we determine the $L(1,1,1)$ -chromatic number for a path, a cycle, bouquet of cycles joining at a vertex (all are of finite lengths) and sun graph. We also present a lower and upper bounds for $\lambda_{1,1,1}$ in terms of the maximum degree of G .

Keywords: distance labeling; radio labeling; graph colouring; λ -labeling; $L(h, k)$ -labeling; $L(d, 1, 1)$ -labeling; $L(d, 2, 1)$ -labeling.

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1. INTRODUCTION

In 1980 Hale introduced channel assignment problem, which is nothing but an assignment to

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